

At Zenith, $\delta_{\text{Zenith}} = \phi = +38^{\circ} 30'$
 so declinations affected are $\delta_{\text{Zenith}} \pm 8^{\circ}$

$$\Rightarrow 30^{\circ} 30' \leq \delta \leq 46^{\circ} 30'$$

If sources are at these δ , then will be unable to effectively track them when they get within 8° of zenith.

②

$$8 \text{ inch} = D \quad f/4.5 \quad \Rightarrow \quad f = \text{focal length} = 4.5 \cdot 8 \text{ in.} = 36 \text{ in.}$$

$$25 \text{ mm eyepiece} \Rightarrow M = \frac{36 \text{ in.} \cdot \frac{2.54 \text{ cm}}{1 \text{ in}}}{2.5 \text{ cm}} = 36.6 \times$$

$$9 \text{ mm eyepiece} \Rightarrow M = \frac{36 \text{ in.} \cdot \frac{2.54 \text{ cm}}{1 \text{ in}}}{0.9 \text{ cm}} = 101.6 \times$$

③

$$D_{\text{JWST}} = 6.5 \text{ m}$$

$$D_{\text{HST}} = 2.4 \text{ m}$$

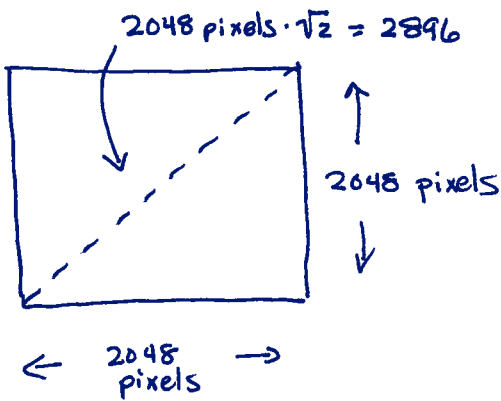
$$\Rightarrow \text{Ratio of Light gathering Power} = \frac{D_{\text{JWST}}^2}{D_{\text{HST}}^2} = \left(\frac{6.5}{2.4}\right)^2 = 7.3 \times \text{more}$$

(4) Keck $D = 10 \text{ m}$ $f/1.75 \Rightarrow f = 1.75 \cdot 10 \text{ m} = 17.5 \text{ m}$
 $= 1750 \text{ cm}$

Plate scale of 1 pixel = $S = f \cdot \theta = 10 \mu\text{m}$

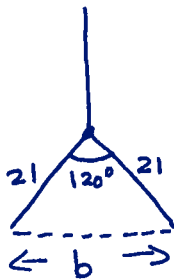
So $\theta = \frac{S}{f} = \frac{10 \mu\text{m}}{1750 \text{ cm}} = \frac{1 \times 10^{-3} \text{ cm}}{1750 \text{ cm}} = 5.71 \times 10^{-7} \text{ rad} \cdot \frac{206265''}{1 \text{ rad}}$
 $= 0.12''$

So, the resolution of each pixel is $0.12''$.



F.O.V = $2896 \cdot 0.12'' = 341''$
 $= 5.7'$
 across the CCD

(5)



Law of Cosines:
 Plane Triangle: $b^2 = 21^2 + 21^2 - 2 \cdot 21 \cdot 21 \cdot \cos^{120^\circ}$
 $= 3 \cdot 21^2 = 1323 \text{ km}^2$
 $b = 36.4 \text{ km}$ is longest baseline

Interferometer Resolution $\theta = \frac{\lambda}{b} = \frac{21.1 \text{ cm}}{36.4 \text{ km} \cdot \frac{10^5 \text{ cm}}{1 \text{ km}}} = 5.8 \times 10^{-6} \text{ rad} \cdot \frac{206265''}{1 \text{ rad}}$
 $= 1.2''$

Single VLA dish resolution $\theta \sim 1.2 \frac{\lambda}{D} = 1.2 \cdot \frac{21.1 \text{ cm}}{25 \text{ m} \cdot \frac{10^3 \text{ cm}}{1 \text{ m}}} = 8.44 \times 10^{-3} \text{ rad} \cdot \frac{206265''}{1 \text{ rad}}$
 $= 1741''$
 $= 29'$

For comparison, the Full Moon is $\sim 30'$!